# Extracting Variable-Size Secret Keys from Voice Key 

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#### Abstract

This paper presents a technique to produce secret keys with optional size from a voice key that can be obtained from the delta modulation. The technique that produces the secret key should be a function of all the bits in the voice key in to get unique keys for each voice key. To achieve this goal, the DES encryption algorithm in cipher block chaining (CBC) mode of operation is used after preprocessing the voice key. Throughout this paper, a step-by-step of the algorithm is introduced to achieve this goal. Therefore, a background about the cipher block chaining mode of operation is presented. Next, the discusses of the block diagram of the proposed technique is done. Then, the deploys of the entropy algorithm as a key evaluation metric is introduced. Finally, two examples are introduced to demonstrate the applicability of this technique. [Osama M. Amer, A. S. Obada, Emad Massamir and Tharwat O. Alhanafy. Extracting Variable-Size Secret Keys from Voice Key. New York Science Journal 2011;4(1):49-60]. (ISSN: 1554-0200). http://www.sciencepub.net/newyork.


Keywords: Extracting; Variable-Size; Secret; Key

## 1. Introduction

The 'delta' refers to the difference value from one instant to the next, with the difference being limited to -1 or +1 . This system maintains an accumulator that starts at zero. At every sample position, this accumulator either steps up by one or steps down by one, never maintaining the same value. Stepping up or down is in response to a comparison between the current accumulator value with the desired waveform amplitude. If the decision is too low, then it steps up by one. Otherwise it steps down. This is depicted in Figure 1 and it should be noted that this method would typically have a far higher sample rate than PCM audio - but then only require at each sample instant a 1 or 0 for up or down, respectively. The problem with delta modulation is that the quantization error depends on the stepsize[1].

This means that in order to represent audio as accurately as possible, the step height should be small. However a small step means that more steps are needed to reach-up to larger waveform peaks. In Figure 1, when rising up to the first peak, and dropping down after it, there is a large gap between the waveform we desire to quantize and the actual step values. This is because delta modulation can only increase a single step at a time, but the gradient of the waveform has exceeded this. Such a limit on the gradient is termed the slew rate or sometimes slope overload [2].

The output bit-stream, representing the waveform in the delta modulation format, is also shown in Figure 2. In order to support a higher slew rate without increasing the step-size, it is necessary to sample more quickly [3]. This is a trade-off between
bits per second used in the representation and the quantization noise introduced by it.


Figure 1: Illustration of an audio waveform being represented using delta modulation, where a 1 indicates a stepwise increase and a 0 indicates a stepwise decrease in amplitude at each sampling position [8].

The delta-modulation algorithm is implemented using Matlab and it takes two inputs. The first input is the spectrum associated with the speech of a person and the second input is the step size. The step size is the value by which the accumulator, a variable that is started with a value of zero, is increased or decreased based on the comparison of the value of accumulator and the spectrum magnitude at time $t$. If the value of the accumulator is greater than the spectrum magnitude, the accumulator is increased by the step size and a 1 is assigned to the corresponding bit in the bitstream. Otherwise, the accumulator is decreased by the step size and a 0 is assigned to the corresponding bit in the bitstream. The algorithm returns the generated bitstrem as an output.

The paper is organized as follows. Sections 1 are this introduction. In Section 2, we present an analysis of Adaptive delta modulations. Section 3 describes the Speech-key Generation Algorithm. Section 4 presents the Demonstration Examples. Section 5 evaluates the CBC Encryption Mode of Operation. And Entropy as Key Metric is introduced in section 6. Finally, our conclusions are drawn in Section 7.

```
```

function $[\mathrm{cn}]=$ deltaModulation (x, StepSize)

```
```

function $[\mathrm{cn}]=$ deltaModulation (x, StepSize)
xlen $=$ length $(x)$;
xlen $=$ length $(x)$;
accum $(1)=0$;
accum $(1)=0$;
for $\mathrm{i}=1$ : xlen
for $\mathrm{i}=1$ : xlen
if $(x(i)>=\operatorname{accum}(i))$
if $(x(i)>=\operatorname{accum}(i))$
e_tilda_n (i) $=1$;
e_tilda_n (i) $=1$;
accum(i+1) $=$ accum(i) + e_tilda_n (i) * StepSize;
accum(i+1) $=$ accum(i) + e_tilda_n (i) * StepSize;
else
else
e_tilda_n(i) $=-1$;
e_tilda_n(i) $=-1$;
accum $(\mathrm{i}+1)=\operatorname{accum}(\mathrm{i})+\mathrm{e}$ _tilda_n (i) * StepSize;
accum $(\mathrm{i}+1)=\operatorname{accum}(\mathrm{i})+\mathrm{e}$ _tilda_n (i) * StepSize;
$t x(i)=0$;
$t x(i)=0$;
end
end
end
end
for $\mathrm{k}=1$ : xlen
for $\mathrm{k}=1$ : xlen
if $=1$ : xlen
$\quad$ (e_tilda_n $(k)==-1)$
if $=1$ : xlen
$\quad$ (e_tilda_n $(k)==-1)$
e_tilda_n $(k)=0 ;$
e_tilda_n $(k)=0 ;$
end
end
end
end
cn = e_tilda_n;

```
```

cn = e_tilda_n;

```
```

Figure 2: Delta modulation algorithm.

## 2. Adaptive delta modulations

In an attempt to maintain the beneficial features and simplicity of delta modulation but to overcome the slew rate limitations, designers came up with several methods to vary the step height based on the past history of the audio [6]. One of those method is to adapt the quantization level so that it can be small when dealing with slowly changing waveforms, but coarse when dealing with rapid waveform changes. The technique is also known by the mouthful continuously variable slope delta modulation, abbreviated CVSDM or CSVD, and used as a speech compression method in some older radio systems. In the most basic form, such a system relies upon some rules to change step-size, such as the following artificial example: 'If the past $n$ values were the same then double the step height, otherwise halve it.' There would, of course, be upper and lower limits to the step height changes [7]. In reality, some systems would themselves gradually adapt their stepsize rules over time. Often step heights gradually increased, and gradually decreased (rather than the system mentioned which doubles it or halves it each time, considered a fairly large change).

The technique is illustrated in Figure 3, for $\mathrm{n}=$ 3 , and thus the step height can be seen to change following three successive moves in the same direction. Several step height reductions are similarly illustrated. The bit-stream resulting from this process, which is a quantized representation of the original waveform, is shown across the bottom of the plot.


Figure 3: Illustration of an audio waveform being represented using adaptive delta modulation, where a 1 indicates a stepwise increase in signal amplitude and a 0 indicates a stepwise decrease in signal amplitude. Repetition of three like sample values triggers a doubling of step-size, and a halving of stepsize is triggered by the neighboring samples which are unlike. The predominant step-size in the figure is the minimum limit, and there would likewise be a maximum step-size limits imposed [8].

## 3. 3 Speech-key Generation Algorithm

The algorithm the implements the speech-key generation model is introduced in this section. The algorithm is depicted in Figure 4. The algorithm is called speech-key-generation. It takes the speech signal as an input and produces the sequence of bits associated with the speech signal as an output. This sequence of bits represents the speech-key.

## Input: Speech-signal

## Output: Speech-key

## Speech-key-generation-algorithm (speech-signal)

1. Choose window length in milliseconds
2. Filter to remove LF recording noise.
3. Compute LPC coefficient with model order n (e.g. $\mathrm{n}=10$ ).
4. Compute prediction error with all zero filters.
5. Get spectrum from the (LPC) parameters.
6. Represent spectrum curve using delta modulation.

Figure 4: Speech-key generation algorithm.

This algorithm is implemented by using Matlab since it contains ready-made functions that accomplish this task. The Matlab implementation program is shown in Figure 5. Only the main lines in this algorithm are highlighted. The algorithm takes a wave file that has the person speech as an input (Line 1). Then it reads the sound signal from the specified file (Line 3). Next it filter the signal to
remove noise (Line 6) and then compute the LPC coefficient (Line 7). After computing the LPC coefficients, it computes the prediction error with all zero filter (Line 8). Next, the spectrum associated with the LPC parameters is generated (Line 10). Finally the delta modulation algorithm in Figure 3.6 is called to generate the bitstream (Line 17).

```
function [ ] = speech-key-generation (fileName )
winlens \(=50\); \%PSD window length in milliseconds
    [ \(\mathrm{y}, \mathrm{fs}\) ] = wavread(fileName); \% Read in wavefile
    winlen \(=\) winlens * fs/1000;
    [cb, ca] = butter (5,2 * 100/fs, 'high');
    \(\mathrm{yf}=\) filtfilt (cb, ca, y); \% Filter to remove LF recording noise
    [a, er] = lpc (yf, 10); \% Compute LPC coefficent with model order 10
    predy = filter(a, 1, yf); \% Compute prediction error with all zero filter
    figure(1) ; plot(predy); title ('Prediction error'); xlabel ('Samples'); ylabel ('Amplitude')
    [hz, fz] = freqz (1, a, 1024, fs); \% Get spectrum from the AR (LPC) parameters
    figure (2)
    plot (fz, abs (hz))
    title ('Spectrum Generated by LPCs')
    xlabel ('Hertz')
    ylabel ('Amplitude')
    StepSize = 1/15;
    cn = deltaModulation (hz, StepSize); \% Delta modulation-demodulation encoder
    file = fopen('output.txt', 'w'); \% write Matlab results to a text file
    for \(\mathrm{i}=1: 1024\)
    fprintf(file, '\%d \(\backslash n ', ~ c n(i)) ;\)
end;
fclose(file);
```

Figure 5: Implementation of speech-key generation using Matlab.

## 4. Demonstration Examples

The rest of this paper presents a case study using the Arabic latter 'alif' that is pronounced by two different persons: person ${ }_{1}$ and person ${ }_{2}$ to show the output of the speech-key generation algorithm for each person. Figure 6a and 6b shows the Prediction error associated with the sound signal of person ${ }_{1}$ and person 2 , respectively. Also Figure 7a and 7b shows the spectrum curve generated by LPCs script for person $_{1}$ and person ${ }_{2}$, respectively. Finally, the bitstream or the speech key is generated for each person. This is depicted in Figure 8a and 8b for person $_{1}$ and person $_{2}$, respectively. This shows that the two keys are different.

## 5 CBC Encryption Mode of Operation

The cipher-block chaining (CBC) is an encryption mode of operation that is used with blockcipher encryption algorithms such as Data Encryption Standard (DES) and Advanced Encryption Standard (AES). In DES encryption In CBC mode, the plaintext which has $n$ bits is divided into blocks of 64 bits each, where $n$ should be multiple of 64 . If not,
the plaintext must be padded with the required number of bits to satisfy this condition. Each block is denoted by $\mathrm{PTB}_{\mathrm{i}}$ and it is XORed with the previous ciphertext block, $\mathrm{CTB}_{\mathrm{i}-1}$ before being encrypted. In this way, each $\mathrm{CTB}_{\mathrm{i}}$ is dependent on all plaintext blocks processed up to that point (i.e., $\mathrm{PTB}_{1}$ through $\mathrm{PTB}_{\mathrm{i}-1}$ ). Also, to make each message unique, an initialization vector, $I V$, must be used in the first block. The size of the $I V$ is equal to the block size which is, in this case, equal to 64 bits. This process is described in Figure 9.

If the first block has index 1, the mathematical formula for CBC encryption is

$$
C T B_{i}=E_{k}\left(P T B_{i} \text { xor } C B T_{i-1}\right), C B T_{0}=I V
$$

while the mathematical formula for CBC decryption is

$$
P T B_{i}=D_{k}\left(C T B_{i}\right) \text { xor } C B T_{i-1}, C B T_{0}=I V
$$

In this mode of encryption operation, if a onebit is changed in a plaintext block $P T B_{i}$, all the following ciphertext blocks (i.e., $\mathrm{CTB}_{i+1}$ through $\mathrm{CBT}_{N}$, where $N$ is the number of blocks) will be affected.

(a) Prediction error associated with the sound signal of person ${ }_{1}$.


Figure 6: Prediction error associated with sound signals of the two persons.

(a) Spectrum curve corresponding to the sound of person $1_{1}$.


Figure 7: Spectrum curves associated with the sounds of the two persons.

1111111111111111111111111111111111111111111111111111111111111111 1111111111110000000000000010000001000010000100100010010001010010 0100101001010010101001010101010100101010101101010101010101101010 1101010110101101011010110101101010101101010101010100101010010010 1001001001001001001001001001001001010010010100101001010100101010 0101010101010100101010101101010101010101101010110101101011011011 0110110111011101110111011110111011010110100100100010000001000000 0100000100001000100010010010010010010010100100101010010100101010 0101010101001010101010010101010101010101001010101010101010101010 1010101001010101010101010101010101010100101010101010101010101010 0101010101010101010100101010101010101010101001010101010101010101 0101010101010100101010101010101010101010101010101010101010101010 1010101010101010101010101010101010101010101010101010101010101010 1010101010101010101010101010101010101010101010101010101010101010 1010101010010101010101010101010101010101010101010101010101001010 1010101010101010101010101010101010101010101010101010101010101010
(a) Bitstream of person $_{1}$.

1111111111111111111111111111111111111111111111111111111111111111 1111111111111111101101101101101110110111011110111011110111011011 0110101010100100001000000000000000000000000000000000000000000100 0001000010001000100100100100100101001010010101001010101010101010 1010101101010110110101101101101110110110111011011010101010010000 1000000000000010000000001000001000100010010001001001010010010100 1010010100101010010101001010101010010101010101001010101010101010 1001010101010101010101010101010101010010101010101010101010101010 1010101010101010101010101010101010110101010101010101010101010101 0110101010101011010101010110101011010110101101101101110111011111 1011111011010100010000000100001000100010010100100101001010100101 0100101010101010010101010101010101010010101010101010101010101010 1010101010101010101010101010101010101010101010101010101101010101 0101010101010110101010101011010101011010101101010110101011010101 0110101010010101010010101001010100101010010101010010101010100101 0101010101010100101010101010101010101010101010101010101010101010
(a) Bitstream of person ${ }_{2}$.

Figure 8: Generated bitstreams for the two persons based on delta modulation.


Figure 9: Cipher Block Chaining encryption mode of

### 5.1 Getting Variable-Size Keys Block Diagram

The block diagram of the proposed technique that is used to deduce variable-sized secret keys from a voice key is described in Figure 10. The block diagram accepts a voice key (VoiceKey) and the required key size (KeySize) as inputs while it produces the corresponding secret key with the required size as an output. In addition, this block diagram comprises six components to achieve the required secret key. These components are as follow:

1. Key Partition,
2. Padding 56 Bits,
3. Adding Parity,
4. Block Partition,
5. DES Encryption CBC Mode, and
6. Generating Corresponding Key.

The rest of this section describes all these components in more detail to show how the corresponding secret key is produced from the provided voice key.


Figure 10: Block diagram of reducing voice-key to a key with optional size.

### 5.2 Key Partition

The key partition component simply divides the received voice key, voiceKey, which is 1024 bits into three parts (Figure 10). The first part is equal to the first 904 bits of the voiceKey. The second part is equal to the next 56 bits of the voiceKey while the third part is equal to the last 64 bits of the voiceKey. The total number of bits of the three parts is equal to 1024 bits which is the same size of the voiceKey. In other words, the first part includes the bits from 0 to 903, and the second part includes the bits from 904 to 959, and the last part comprises the bits from 960 to 1023 of the voiceKey.

### 5.3 Padding 56 Bits

The padding 56 bits component is used to pad the first part produced by the key partition component with a series of 56 bits in order to make this part multiple of 64 bits. Therefore, it becomes 960 bits instead of 904 bits as seen in Figure 10. These 960 bits will be presented as input to the block partition component.

## 5. 4 Adding Parity

The key size of the DES algorithm is 64 bits which are equal to eight bytes such that the eighth bit of each byte represents the parity bit. For example, if the first seven bits of a byte has even number of ones, then the eighth bit of that byte must be set with a one in case of odd parity. While in case of even parity, it will become zero. This is why we take only 56 bits from the voiceKey and then they are divided into eight group of seven bit each. Next, the parity bit is added to each group that becomes eight bits. Therefore, the DES key becomes 64 bits resulted from the eight bytes corresponding to eight groups. These parity bits are required to cope with the implementation of the DES encryption algorithm.

### 5.5. Block Partition

The block partition component receives a series of bits equal to 960 bits which is the first part produced by the key partition component. Since this series of bits is multiple of 64 bits, the underlying component split it into fifteen blocks each with 64 bits. Consequently, this component produces fifteen blocks. Where the first block has the bits from 0 to 63 , the next block has the next 64 bits, and so on. Each block is denoted by $P T B_{i}$, where $i=1,2, \ldots$, 15. This can be in Figure 10. These fifteen blocks will be used as inputs to the DES Encryption CBC mode component.

### 5.5 DES Encryption In CBC Mode

The DES encryption CBC mode component accepts seventeen inputs and produces fifteen outputs. The inputs include:

1. IV produced by the key partition component,
2. $k$ resulted from the adding parity component, and
3. Fifteen blocks: $P T B_{1}, P T B_{2}, \ldots$, and $P T B_{15}$ produces by the padding 56 bits components while the outputs include fifteen blocks: $\mathrm{CTB}_{1}$, $C T B_{2}, \ldots$, and $C T B_{15}$. These blocks represent the encryption of the input blocks: $P T B_{1}, P T B_{2}$, and $P T B_{15}$. This can be shown in Figure 11.

Figure 10 comprises fifteen blocks. Each block, say block $i$, uses the DES encryption algorithm and it accepts the $k$ and $P T B_{i}$ XORed with $C T B_{i-1}$ as inputs and produces the $C T B_{i}$ as an output. This is applicable for all blocks except the first block which accepts k and $P T B_{1}$ XORed with $I V$ as inputs. The encryption starts from the first block, then the second block, and so on until all the fifteen input blocks are encrypted. From Figure 11, it can be noted that any output block, say $C T B_{i}$, is a function in all input blocks from $P T B_{1}$ to $P T B_{i}$. This means that any change even with one bit will be reflected in the following subsequent blocks. After finishing the encryption of all input blocks, the output blocks are passed to the generating corresponding component.

### 5.6. Generating Corresponding Key

The generating corresponding key component takes the fifteen encrypted blocks: $C T B_{1}, C T B_{2}, \ldots$, and $C T B_{15}$ produced by the previous component as inputs. Also it accepts the required key size, keySize, as an input. It produces the key with the required size as an output. The fifteen encrypted blocks represent 960 bits (Figure 10). This component simply returns the last keySize bits of the 960 bits. For example, if the key is equal to 128 , the component will return the last 128 bits of the 960 bits of the encrypted blocks.

## 6 Entropy as Key Metric

The entropy of two voice keys: voiceKey ${ }_{1}$ and voiceKey $_{2}$ and their corresponding keys produced by the proposed algorithm are evaluated. The values of these keys are shown in Figure 12 and 13. The entropy of each key is evaluated according to the entropy's formula. Table 1 shows these results. For example, the entropy of the key with 64 bits that produced from voiceKey ${ }_{1}$ is placed in the cell that crosses the row voiceKey ${ }_{1}$ and the column " 64 -bit key." this value is equal to 66 .


Figure 11: Encrypting fifteen blocks with 64 bits each using DES in CBC mode of oneration.

### 6.1 Demonstration Examples

This section presents two examples to demonstrate the output of the proposed technique. The first example represents the voice $\mathrm{key}_{1}$, voiceKey $_{1}$, which is 1024 bits as seen in Figure 12a. The algorithm is executed four times with keySize 64, 128, 256, and 512, respectively. In each time, it produces the corresponding key as shown in Figures 12b, 12c, 12d, and 12e, respectively. The voiceKey ${ }_{1}$ is corresponding to the character "alef".

The second example represents the voice $\mathrm{key}_{2}$, voiceKey ${ }_{2}$, which is the same as the voiceKey ${ }_{1}$ except that we replaced the first bit with " 1 " as
shown in Figure 13a. The algorithm is executed again four times with the keySize 64, 128, 256, and 512, respectively. In each time, it produces the corresponding key as shown in Figures 13b, 13c, 13d, and 13 e , respectively. It can be seen that even though the two voice keys: voiceKey ${ }_{1}$ and voiceKey ${ }_{2}$ are different only in one bit; the produced keys with the same size are different. For example, the keys in Figures 12b and 13b are different and they are resulted from voiceKey ${ }_{1}$ and voiceKey ${ }_{2}$, respectively. This means that a produced key is unique for its corresponding voice key.

| 01011111111111111111111111111111 <br> 11111111111111111111111111111 <br> 111111111111000000000000000000 <br> 0000000000000000000000000000 <br> 0000000000000000000000000000 <br> 00000010101010101010101010101010 <br> 10110101011010110101011010110101 <br> 01101010110101011010101011010101 <br> 01101010101010110101010101010101 <br> 01010100101010101001010010100100 <br> 10100100100100100101001001010010 <br> 01010100101010101010101010101010 <br> 11010101010110101010110101010110 <br> 10101011010101010110101010101101 <br> 01010101011010101010101101010101 <br> 01010101011010101010101010101010 <br> 10110101010101010101010101010101 <br> 01010101010101010101010101010101 <br> 01010101010101010101010101010101 <br> 01010101010101010110101010101010 <br> 10101010101010101010101010101010 <br> 10101010101010101010101011010101 <br> 01010101010101010101010101010101 <br> 01010101010101010101010101010101 <br> 01010101010101010101010101010101 <br> 01010101010101001010101010101010 <br> 10101010101010101010101010101011 <br> 01010101010101010101010101010101 <br> 01010101010101010101010101010101 <br> 01010101010101010101010101010101 <br> 01010101010101010101010101010101 <br> 01010101010101010101010101010101 | (b)11010110101001010101011110111100 <br> 010011011100111110011101101011 |
| :--- | :--- |

Figure 12: Different keys with different sizes are generated from voicekey ${ }_{1}$ (a) voicekey ${ }_{1}$, (b) 64-bit key, (c) 128bit key, (d) 256-bit key, and (e) 512-bit key.


Figure 13: Different keys with different sizes are generated from voicekey ${ }_{2}$ (a) voicekey ${ }_{2}$, (b) 64-bit key, (c) 128bit key, (d) 256-bit key, and (e) 512-bit key.

Table 1: Entropy of voice keys and their extracted keys.

|  | Entropy |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | Original key | 64-bit key | 128-bit key | 256-bit key | 512-bit key |
| VoiceKey $_{1}$ | 0.69 | 0.66 | 0.68 | 0.69 | 0.69 |
| VoiceKey $_{2}$ | 0.69 | 0.69 | 0.68 | 0.69 | 0.69 |

## 7. Conclusions:

The technique to produce secret keys with optional size from a voice key that can be obtained from the delta modulation is presented. The technique that produces the secret key should be a function of all the bits in the voice key in to get unique keys for each voice key is introduced. To achieve this goal, the DES encryption algorithm in cipher block chaining (CBC) mode of operation is used after preprocessing the voice key. Throughout this paper, a step-by-step of the algorithm is introduced to achieve this goal. Therefore, a background about the cipher block chaining mode of operation is presented. Next, the discussion of the block diagram of the proposed technique is done. Then, the deploys of the entropy algorithm as a key evaluation metric is introduced. Finally, two examples are introduced to demonstrate the applicability of this technique.

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